MA 227, CALCULUS III

Spring, 2013

Question	3
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Let $\mathbf{r}(t) = (t, t^2, t^2)$. Find SYMMETRIC equation of the tangent line at point t = 1.

Answer:

Question 4

Let $\mathbf{r}(t) = (\cos(t), e^t, t^2)$. Find curvature κ at point t = 0.

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Find the	area of the	parallelogram	generated	by the	vectors	(1, -2, 1)) and	(-1.	1.2	2).

Answer:

$\underline{\text{Question } 6}$

Find equation of the plane containing the points (2,1,1), (1,2,-2) and (-1,0,1).

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Question	1
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A particle moves with position function $\mathbf{r}(t) = (t^2, \cos(t), t)$). Find velocity, acceleration and
tangential and normal components of acceleration at point	t = 0.

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Find	parametric	equation	of the	line	which	passes	through	the	point	(-1, 1)	1, -1)	and	is
ortho	gonal to the	e vectors i	$-\mathbf{j}$ and	1 j –	2k.								

Question	9
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A	particle	moves	with	accelerat	tion a	$\mathbf{a}(t) =$	$(1, e^t)$	(0).	Find	velocity	and	position	function	if
th	e initial	data aı	$re \mathbf{v}(0)$	(1, 0)	, 1),	r(0) =	(0, 1)	, 1).						

Answer:

Question 10

Find the length of the curve given by $\mathbf{r}(t) = (3\sin t, \, -2t, \, 3\cos t)$ when $1 \le t \le 4$.